

問1 ファンデルワールス

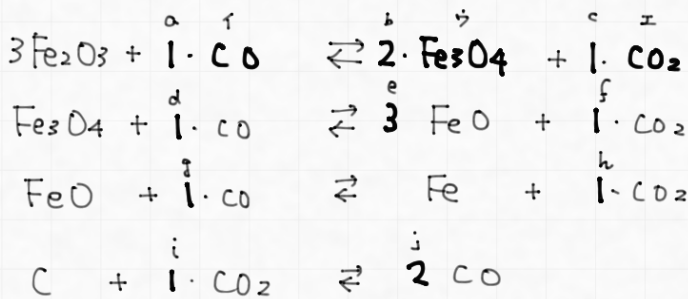
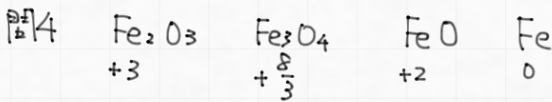
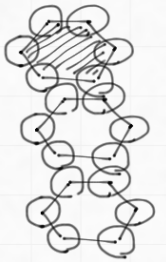
問2 体積 $5.1 \times 10^{-16} \times 6.7 \times 10^{-8} \text{ cm}^3$ 中に $\frac{1}{6} \times 6 \times 4 = 4$ の炭素原子が含まれているので密度は

$$\frac{12}{6.0 \times 10^{23}} \times 4 \times \frac{1 \times 10}{5.1 \times 10^{-16} \times 6.7 \times 10^{-8}} = \frac{20}{5.1 \times 6.7} = 2.34 \dots = 2.3 \text{ g/cm}^3$$

問3 3層で $5.1 \times 10^{-16} \times 2 \text{ cm}^2$ に対し、 $\frac{1}{6} \times 6 \times 6 = 6$ の原子 (単格格子と異なり、上、下層の炭素原子が多い)

したがって単位質量あたりの面積は

$$\frac{5.1 \times 10^{-16} \times 2}{\frac{12}{6.0 \times 10^{23}} \times 6} = \frac{5.1}{6} \times 10^7 = 8.5 \times 10^6 \text{ cm}^2/\text{g}$$



問5 $1.0 = \frac{P_{\text{CO}_2}}{P_{\text{CO}}}$, $4.2 \times 10^3 = \frac{P_{\text{CO}}^2}{P_{\text{CO}_2}}$

$P_{\text{CO}} \dots 100 \times 10^3 \times x$, $P_{\text{N}_2} \dots 100 \times 10^3 y$, $P_{\text{CO}_2} \dots 100 \times 10^3 (1-x-y)$

$\frac{P_{\text{CO}_2}}{P_{\text{CO}}} < 1.0$ のとき、 $\frac{P_{\text{CO}_2}}{P_{\text{CO}}} = 1.0$ とおきおくと (3) の反応は右にすすむ

$$\frac{P_{\text{CO}_2}}{P_{\text{CO}}} = \frac{1-x-y}{x} < 1.0 \Leftrightarrow y > -x+1$$

$\frac{P_{\text{CO}}^2}{P_{\text{CO}_2}} < 4.2 \times 10^4$ のとき、(4) 式の反応が右にすすむ

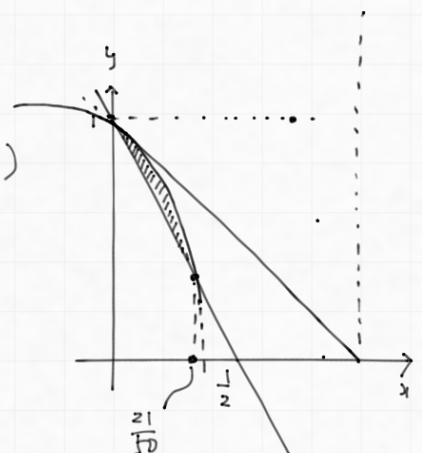
$$\frac{P_{\text{CO}}^2}{P_{\text{CO}_2}} = \frac{100 \times 10^3 x^2}{1-x-y} < 4.2 \times 10^4 \Leftrightarrow 10x^2 < 4.2(1-x-y)$$

$$\Leftrightarrow 1-x-y > \frac{100}{4.2} x^2 \Leftrightarrow y < -\frac{50}{21} x^2 - x + 1$$

問6 $x > 0$, $y > 0$, $1-x-y > 0$

$$-\frac{50}{21} x^2 - x + 1 = -2x + 1 \Leftrightarrow 50x^2 - 21x = 0 \quad x = 0, \frac{21}{50}$$

$x = \frac{21}{50}$ のとき $y = \frac{4}{25}$ $\therefore y < \frac{4}{25} = 0.16$ のとき、条件を満足する気体組成は存在しない

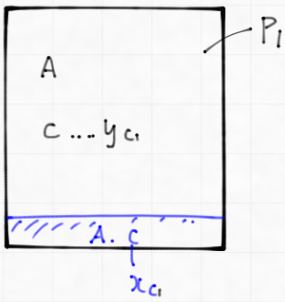


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問1 蒸気圧降下

問2 1. $\Delta P = x_c P_A$ $\therefore P = P_A - \Delta P = (1-x_c)P_A$ \mp $x_c P_c$

問3



$$\begin{cases} P_1 = (1-x_{c1})P_A + x_{c1}P_c \\ \frac{x_{c1}P_c}{P_1} = y_{c1} \end{cases} \Leftrightarrow y_{c1} = \frac{P_c}{P_1} x_{c1} \quad (*)$$

上の式より

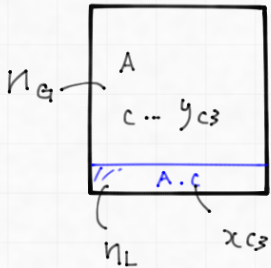
$$x_{c1} = \frac{P_1 - P_A}{P_c - P_A} \quad \text{よって} \quad y_{c1} = \frac{P_c}{P_1} \times \frac{P_1 - P_A}{P_c - P_A} \quad (**)$$

最終的には $y_{c1} \rightarrow x_{c0}$ となるので $x_{c0} = \frac{P_c}{P_2} \times \frac{P_2 - P_A}{P_c - P_A}$

問4

$$(P_c + x_{c0}P_A - x_{c0}P_c)P_2 = P_cP_A$$

$$P_2 = \frac{P_cP_A}{P_c - (P_c - P_A)x_{c0}} \quad (***)$$



問5

$$n_G y_{c3} + n_L x_{c3} = (n_G + n_L) x_{c0}$$

$$y_{c3} + \frac{n_L}{n_G} x_{c3} = x_{c0} + \frac{n_L}{n_G} x_{c0}$$

$$\frac{n_L}{n_G} = \frac{y_{c3} - x_{c0}}{x_{c0} - x_{c3}} \quad (4)$$

$$n_G = n_L \text{ のとき } y_{c3} - x_{c0} = x_{c0} - x_{c3}$$

$$y_{c3} = 2x_{c0} - x_{c3} = \frac{P_c}{P_3} \times \frac{P_3 - P_A}{P_c - P_A}$$

よって P_3 の式に代入

$$P_3 = (1-x_{c3})P_A + x_{c3}P_c$$

$$= P_A + (P_c - P_A) \times \left(2x_{c0} - \frac{P_c}{P_3} \times \frac{P_3 - P_A}{P_c - P_A} \right)$$

$$= P_A + 2x_{c0}(P_c - P_A) - \frac{P_c}{P_3}(P_3 - P_A)$$

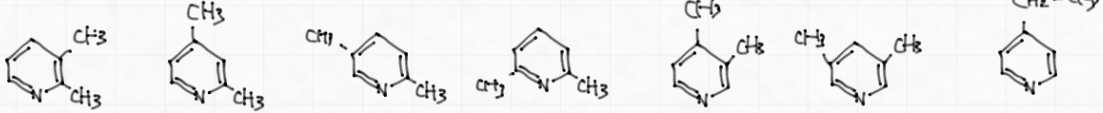
$$P_3^2 = P_AP_3 + 2x_{c0}P_3(P_c - P_A) - P_c(P_3 - P_A)$$

$$P_3^2 - (2x_{c0}(P_c - P_A) + P_c - P_A)P_3 - P_AP_c = 0$$

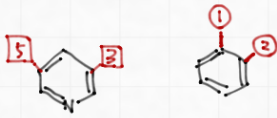
$$P_3 = \frac{(2x_{c0} + 1)(P_c - P_A) + \sqrt{(2x_{c0} + 1)^2(P_c - P_A)^2 + 4P_AP_c}}{2}$$

3 問1 安息香酸

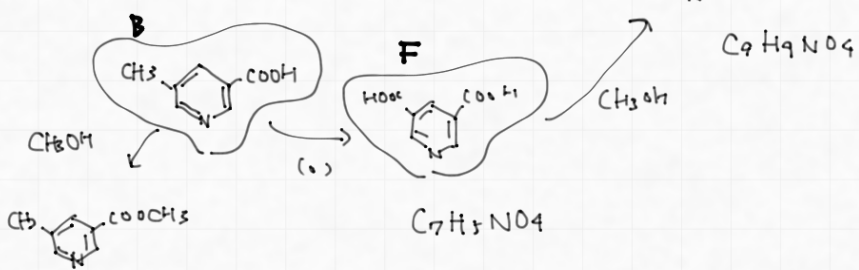
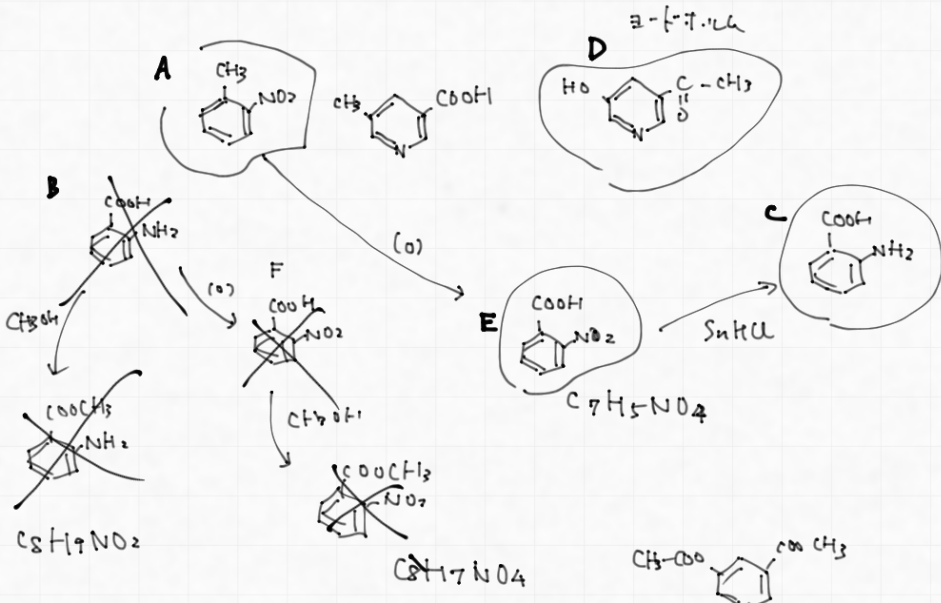
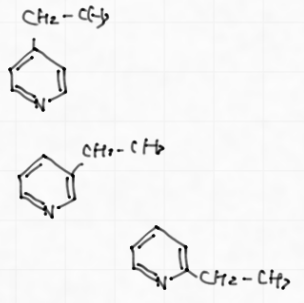
問2



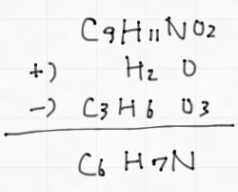
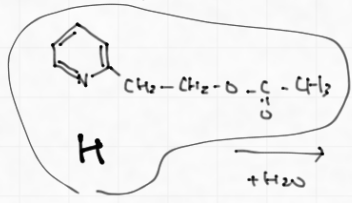
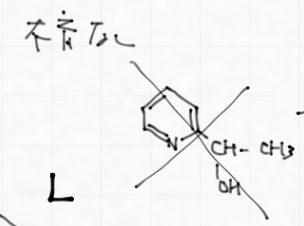
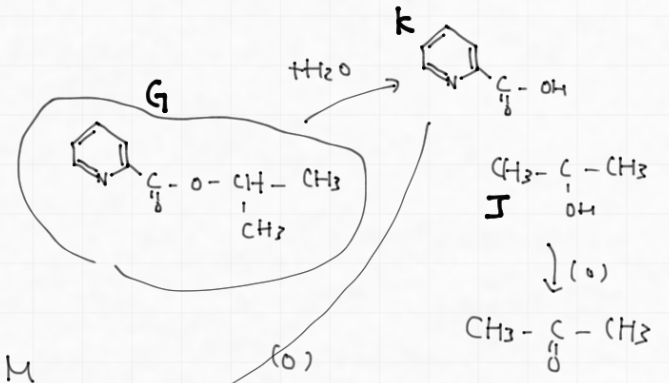
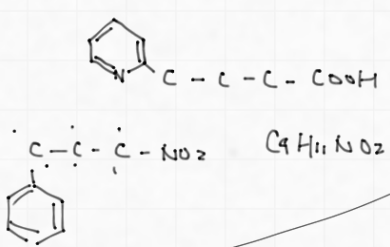
問3



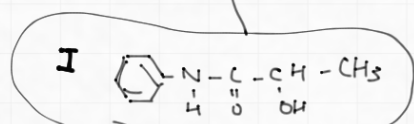
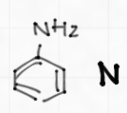
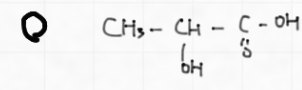
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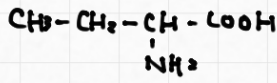
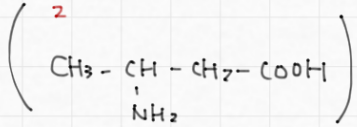
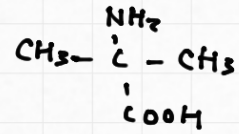
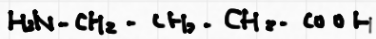
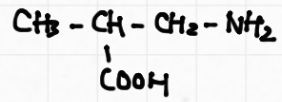
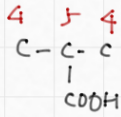
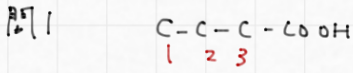
分子式から推定...



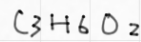
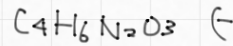
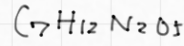
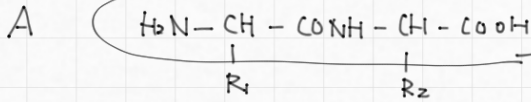
$C_3H_6O_3$ 不純物 \Rightarrow 脱炭酸



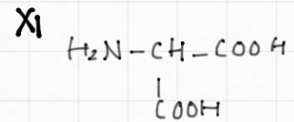
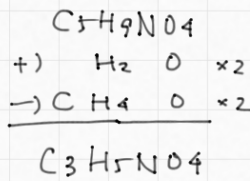
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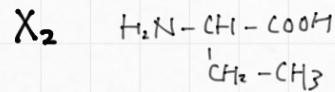
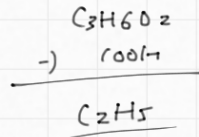
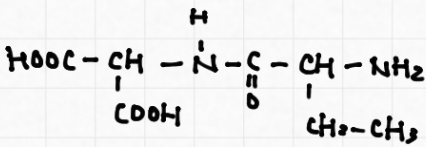
問2



-COOH あり... X1は酸性アミノ酸



問3 Aは不斉炭素を1つしか持たないので X1のCOOHで1つだけ結合している。



問4

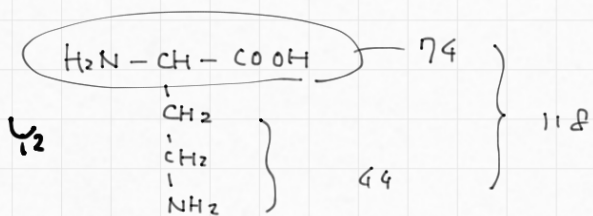
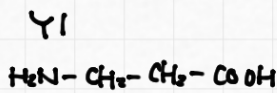
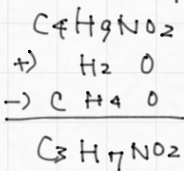
B... 289 Y1, Y2, Y2

$$1 \times \frac{250}{1000} \times 2 = n \times 0.1 + 1 \times \frac{300}{1000} \times 1$$

$$0.1n = \frac{250}{1000}$$

$$n = 2 \dots \text{NH}_2 \times 2$$

$$\frac{289 + 18 \times 2 - 89}{2} = 118$$



89

Y2

64